

B. Tech. (Sem. - 3rd)
NETWORK ANALYSIS AND SYNTHESIS
SUBJECT CODE : EE - 201
Paper ID : [A0305]

[Note : Please fill subject code and paper ID on OMR]

Time : 03 Hours

Maximum Marks : 60

Instruction to Candidates:

- 1) Section - A is **Compulsory**.
- 2) Attempt any **Four** questions from Section - B.
- 3) Attempt any **Two** questions from Section - C.

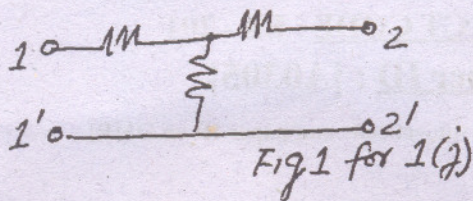
Section - A

Q1)

(10 × 2 = 20)

- a) What is objective of using Network Theorems?
- b) Name circuit elements of an a.c. network and classify them as passive elements and active elements.
- c) Are network theorems applicable to a.c. networks also or their applications restricted to d.c. networks only.
- d) An R-L series circuit of $R = 10\Omega$ and $L = 1H$ is connected across a d.c. voltage of 100V. What is amplitude of current flowing in the circuit?
- e) What is advantage of using Laplace transform in analysis of electrical networks?
- f) The unit of energy commonly used by electric utility is kwh. How many joules are there in 1 kwh?
- g) Time constant of an R-L circuit is given by $\frac{L}{R}$. Show that the unit of $\frac{L}{R}$ is second.
- h) Define network functions. Is transfer function also a network function. If $TF = Z(s)$, identify input and output function corresponding to above T.F.

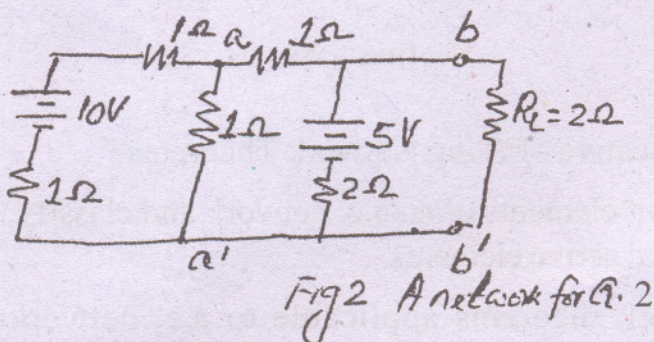
- i) Give classification of Filters.
- j) A two terminal pair network (TTPN) is shown in Fig. 1, show if the given network is
 (i) reciprocal (ii) symmetrical and (iii) balanced.



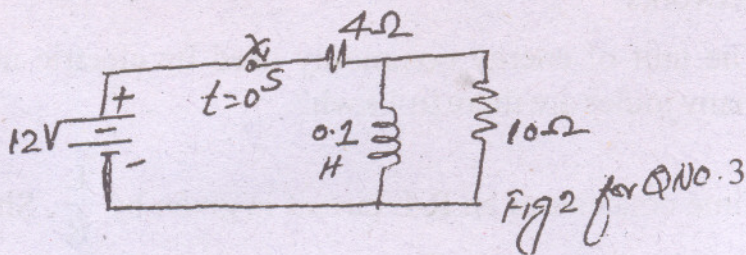
Section - B

(4 × 5 = 20)

- Q2) State and explain Thevenin's theorem. For the network shown in Fig. 2, sketch Thevenin's equivalent at b-b' and obtain current in load resistance, $R_L = 2\Omega$



- Q3) Discuss transient and steady state response in case of an R-L series circuit energized by a d.c. voltage source, E volt. A 12V d.c. voltage source is disconnected in Fig. 2 at $t = 0$. Show the wave shape of inductor current (i) and the voltage (v) across inductor for all times.



- Q4) Define poles and zeroes of a network function. Show pole-zero configuration for the transfer admittance function

$$H(s) = \left(\frac{s^2 + 2s + 17}{s^2 + 3s + 2} \right)$$

Use geometrical method to evaluate the T.F. at the test point (j 10).

Q5) State and prove Convolution Theorem. How is convolution integral evaluated - discuss. Consider two functions $f_1(t)$ and $f_2(t)$ given by

$$f_1(t) = 1, 0 < t < 1 \\ = 0, \text{ otherwise}$$

$$f_2(t) = \frac{1}{R} \left(1 - e^{-\frac{R}{L}t} \right), t \geq 0$$

obtain $f_1(t) * f_2(t)$.

Q6) A two terminal network consists of a coil having an inductance, L and resistance R shunted by a capacitor C. The poles and zeroes of the driving point impedance function of this network are given by

$$p_1 \text{ and } p_2 = -\frac{1}{2} \pm j \frac{\sqrt{3}}{2}, \text{ zero } z_1 = -1$$

If $Z(s)|_{s=j0} = -1$, determine R, L & C.

Section - C

(2 × 10 = 20)

- Q7)** (a) How is a physical network realised by considering the driving point admittance function-discuss.
 (b) Determine the Foster and Cauey form of realization if the driving - point impedance function $Z(s)$ is given by

$$Z(s) = \frac{4(s^2+1)(s^2+9)}{s(s^2+4)}$$

- Q8)** (a) Derive expressions for (i) characteristic impedance and (ii) propagation constant of a pure reactive network.
 (b) Discuss how can a constant k - low pass filter be designed. Design a constant k - type band pass filter section to be terminated in 600 Ω resistance having cut off frequencies of 2kHz and 5kHz.

Q9) Write short notes on :

- (a) Composite Filters and
 (b) On time domain behaviours from poles and zeroes.

