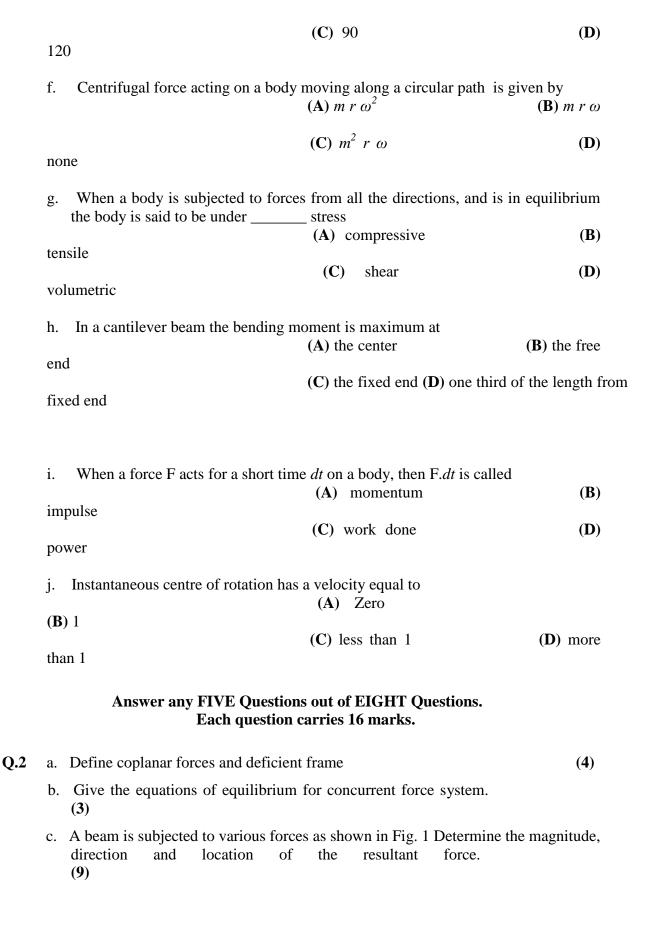
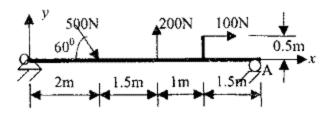
JUNE 2009

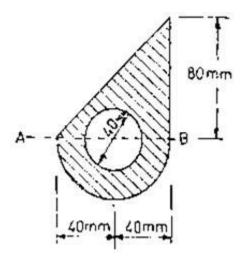
AMIETE - ET (OLD SCHEME)

| Code: AE03 Time: 3 Hours | | | Subject: APPLIED MECHANICS Max. Marks: 100 | | | |
|-----------------------------|--------------------------------------|---|---|-----------------------------|--|--|
| • Q th • O | uestice ne spa ut of arries | nere are 9 Questions in all. on 1 is compulsory and carries 2 ace provided for it in the answer b the remaining EIGHT Questions 16 marks. quired data not explicitly given, n | oook supplied and nowhere s answer any FIVE Questi | else. ons. Each question | | |
| Q.1 | Ch | Choose the correct or the best alternative in the following: $$(2\times$10)$$ | | | | |
| | a. | Lami's theorem can be applied fo | r: (A) 3 concurrent and co | planar forces (B) 3 | | |
| | | n-concurrent forces | (C) 3 parallel forces | (D) 3 collinear | | |
| | | One poise is equal to s/m^2 | (A) 1 Ns/m^2 | (B) 10 | | |
| | | s/m^2 | (C) 0.1 Ns/m^2 | (D) 0.01 | | |
| | c. | c. The tangential velocity of any point "Q" on a body, rotating with anguvelocity, with instantaneous center of rotation "C" is equal to: | | | | |
| | ω^2 | | (A) Q C ω | (B) Q C | | |
| | ω^2 | | (C) Q C/ ω | (D) Q C/ | | |
| | | When coefficient of restitution is | zero, the bodies are (A) inelastic | (B) partly | | |
| | | ove | (C) perfectly elastic | (D) none of the | | |
| | e. | If the resultant between two force between the two forces is | degrees | 20 N, then the angle | | |
| | | | (A) 30 | (B) | | |





Q.3 a Define moment of inertia and radius of gyration. (4)



b. Determine the moment of inertia of the shaded portion shown in Fig. 2 about axis AB. (12)

| Q.4 | a. | Define: Fig. 2 | | | | |
|-----|----|--|--|--|--|--|
| | | (i) Force of friction (iii) Static friction (iv) Angle of repose (8) | | | | |
| | b. | A box lying on the ground requires a pulling force of 0.18 kN at an angle 30 ° for | | | | |
| | | just to move it. Same box needs a pushing force of 0.22 kN inclined at 30° to just move it. Find (i) coefficient of friction between the box and the ground (ii) the weight of the box. (8) | | | | |
| Q.5 | a. | Explain | | | | |
| | | (i) Work-energy principle(ii) Law of conservation of energy(6) | | | | |
| | b. | A truck starts from rest accelerates to a speed of 60 km/hr in a distance of 50 m. The air resistance for the motion of the truck is 0.1 kN. Truck weighs 19.62 kN. Find the average driving force acting on the truck. Using the average force, find the greatest power developed by the engine of the truck. (10) | | | | |
| Q.6 | a | Explain (i) Impulse-momentum principle (ii) Law of conservation of linear momentum. (5) | | | | |
| | b. | Determine the diameter of a solid shaft which will transmit 90 kW at 160 rpm, if the shear stress in the shaft is limited to 60 N/mm^2 . Find also the length of the shaft, if the twist must not exceed 1 degree over the entire length. Take $C = 8 \times 10^4 \text{ N/mm}^2$. (11) | | | | |
| Q.7 | a. | Prove that $P = (2\pi N T / 60)$ watts, where, P = Power N = Speed of rotation (rpm) T = Torque Nm (6) | | | | |
| | b. | A hollow metallic pipe is 5 cm thick, 400 cm long, 0.3 m outer diameter is standing up-right. It is subjected to an axial load on the top. The stress produced due to the applied load is 75 MPa. Modulus of elasticity of the pipe material is 0.15x10 ⁶ MPa. Find the following: (i) Magnitude of the load applied (ii) longitudinal strain (iii) change in length (10) | | | | |
| Q.8 | a. | Define (i) bending moment (ii) Shear force | | | | |

- (iii) point of contra flexure
- (iv) angular acceleration

(8)

b. Determine the angular velocity and angular acceleration of a body rotating with following the equation: $\Psi = 0.5 t^3 - t^2 + 1.3 t + 4.3 at$ (i) t = 0, (ii) t = 2 and (iii) t = 4 secs.

Where Ψ is in radians and t is in secs. (8)

- Q.9 a. The discharge in a horizontal water supply pipe with a diameter of 250 mm is increased from 2.453 ltrs/sec to 9.812 ltrs/sec in three seconds. What pressure gradient should exist to cause this acceleration? Calculate the difference of pressure also in a length of 500 m.
 (8)
 - b. The velocity component along x-axis of a fluid flow is given by:

 $u = 8x^2 + 5y^2 + z^2$ and that along y-axis is given by $v = 7x^2y - 2yz + 6xy$. Using continuity equation, determine the velocity component of fluid flow along z-axis. (8)